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Journal of Solid State Chemistry 179 (2006) 1323-1329

JOURNAL OF SOLID STATE CHEMISTRY

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# New representatives of the linear structure series containing empty Ga/Ge cubes in the Sm–Ga–Ge system

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> Received 10 November 2005; received in revised form 21 December 2005; accepted 22 January 2006 Available online 21 February 2006

> > Dedicated to the memory of Prof. Oksana Bodak

#### Abstract

New ternary intermetallic compounds  $\text{Sm}_2\text{Ga}_{7-x}\text{Ge}_x$  (x = 5.2-6.1) and  $\text{Sm}_4\text{Ga}_{11-x}\text{Ge}_x$  (x = 5.76-8.75) were synthesized and their crystal structures were determined by X-ray powder diffraction at compositions  $\text{Sm}_2\text{Ga}_{1.8}\text{Ge}_{5.2}$  and  $\text{Sm}_4\text{Ga}_{5.24}\text{Ge}_{5.76}$ .  $\text{Sm}_2\text{Ga}_{1.8}\text{Ge}_{5.2}$  crystallizes with the  $\text{Ce}_2(\text{Ga}_{0.1}\text{Ge}_{0.9})_7$  type of structure (space group *Cmce*, Pearson code *oS*80–8.00, *a* = 8.46216(13), *b* = 8.15343(13), *c* = 21.1243(3) Å, *Z* = 8), while  $\text{Sm}_4\text{Ga}_{5.24}\text{Ge}_{5.76}$  exhibits a new structure (space group *Cmmm*, Pearson code *oS*52–22.00, *a* = 4.21038(4), *b* = 35.8075(3), *c* = 4.14023(4) Å, *Z* = 2). Both structures are the members of the linear intergrowth structure series built up from segments of BaAl<sub>4</sub>, AlB<sub>2</sub> and  $\alpha$ -Po structure types. Their Ga/Ge networks contain characteristic empty cubes with one side capped by an atom subjected to an intrinsic displacive disorder. A model of Ga/Ge localization was suggested on the basis of crystal-chemical analysis.  $\mathbb{C}$  2006 Elsevier Inc. All rights reserved.

Keywords: Ternary gallides; Crystal structure; X-ray powder diffraction; Linear structure series; Disorder

### 1. Introduction

Gallium-rich intermetallic compounds reveal a variety of Ga frameworks, like two-dimensional graphite-like networks in the structures of  $AlB_2$ -type digallides, which become corrugated in the  $CaIn_2$ -type structures [1]. At higher Ga content ( $CaGa_4$  [2] and  $PuGa_6$  [3] structure types) the frameworks become three-dimensional. Characteristic Ga<sub>8</sub> cubes with two opposite faces caped by Ga atoms appear in hexagallides. In a pentagallide YbGa<sub>5</sub> a pronounced disorder of gallium atoms has been recently identified for similar bicapped Ga cubes [4]. It was suggested that the disorder appears due to a tendency of three-bonded Ga atoms to achieve the "optimum" distances and a four-

bonded state. Gallium atoms in a five-bonded state tend to compensate this distortion, resulting in their intrinsic disorder and split atom positions.

Partial substitution of Ga by Ge, a fourth group element of similar atomic size, stabilizes a yet more diverse variety of crystal structures. A number of ternary compounds were reported in the rare earth–gallium–germanium and related systems [5,6]. Here we report on synthesis and structures of two novel ternary compounds in the Sm–Ga–Ge system. The Ga/Ge networks in these structures contain characteristic empty cubes with only one side capped, which similarly to YbGa<sub>5</sub> display an intrinsic displacive atomic disorder.

### 2. Experimental part

#### 2.1. Sample preparation and elemental analysis

The alloys were prepared by arc-melting Sm (99.9%), Ga and Ge (each 99.99%) elements on a water-cooled copper

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<sup>0022-4596/\$ -</sup> see front matter  $\odot$  2006 Elsevier Inc. All rights reserved. doi:10.1016/j.jssc.2006.01.041

base under a purified argon atmosphere. We have used molten Ti as an oxygen getter to ensure removal of any oxygen trances in the argon atmosphere. To improve homogeneity, each sample was remelted three times. The ingots were wrapped into tantalum foil, annealed at 870 K in vacuum for 1 month and quenched in cold water. For 2g alloys the mass losses during the melting did not exceed 1%. The samples for detailed structural study (Sm<sub>22</sub>Ga<sub>20</sub>Ge<sub>58</sub> and Sm<sub>28</sub>Ga<sub>35</sub>Ge<sub>37</sub>) were examined for microstructure and composition by scanning electron microscopy and energy-dispersive X-ray microanalysis (SEM/EDX). The samples were ground, polished under alcohol and etched in a solution of 1 mL HNO<sub>3</sub>/20 mL acetic acid/60 mL ethylene glycol/19 mL H<sub>2</sub>O for 15 s at room temperature. Then samples were investigated with a Camscan 44-SEM (UK) equipped with an EDX detector. The results of the metallographic analysis of these samples are in a good agreement with their nominal compositions and results of X-ray diffraction (see Section 2.2). According to the EDX analysis, the composition of the main phase for the first sample is Sm<sub>1.94</sub>Ga<sub>1.74</sub>Ge<sub>5.32</sub> and Sm<sub>4.07</sub>Ga<sub>5.12</sub>Ge<sub>5.80</sub> for the second.

## 2.2. X-ray powder diffraction

X-ray powder diffraction patterns were obtained at room temperature on a Bruker D8 Advance diffractometer with  $CuK_{\alpha 1}$  radiation. The *FullProf*.2000 program package [7] was used in all calculations. The similarity of the Ga and Ge atomic scattering factors prevents their being distinguished by X-ray diffraction without recourse to measurements at synchrotron source by exploiting the resonant scattering contribution. In this work any Ga/Ge position was assumed to be occupied by a mixture of Ga and Ge atoms in a ratio given by the nominal composition. Such positions are referred to as "X".

The Sm<sub>2</sub>Ga<sub>1.8</sub>Ge<sub>5.2</sub> structure was refined by the Rietveld method starting from coordinates of the parent structure type  $Ce_2(Ga_{0,1}Ge_{0,9})_7$  [8], in space group *Cmce*, which is a superstructure of the SmNiGe<sub>3</sub> structure type [9]. Selection of the doubled cell parameters a and b, compared to a  $4 \times 4 \times 21$  Å subcell, was supported by the appearance of clear superstructure reflections. Refined isotropic atomic displacement parameters suggested a disorder in one of the six X positions. The disorder was modelled by replacing one 8f Wyckoff position with a half-occupied split 16g position. This improved considerably the fit and standard uncertainties of the structural parameters. The refined separation of the split atoms is 0.589(6) A. In the final refinement cycles an overall isotropic displacement parameter was refined for the X positions. 11.2 wt% of Ge (space group  $Fd\overline{3}m$ , a = 5.65807(11)Å) were additionally found in the Sm<sub>22</sub>Ga<sub>20</sub>Ge<sub>58</sub> sample. This secondary phase was modelled with one scale factor and one cell parameter, while the profile parameters were refined first and fixed in the final cycles of the refinement. Finally, 33 parameters were allowed to vary for both phases: sample shift, two

scale factors, four cell parameters, six profile parameters for the main phase (pseudo-Voigt profile), 17 positional parameters, two atomic displacements and one texture parameter. The background was defined using a Fourier filtering technique.

The Sm<sub>4</sub>Ga<sub>5.24</sub>Ge<sub>5.76</sub> structure was solved ab initio. The X-ray powder diffraction pattern was indexed by an orthorhombic cell with a = 4.2101(2), b = 35.807(2), c = 4.1411(2)Å, using the DICVOL91 program [10]. There were no superstructure reflections indicating a possible doubling of the *a* and *c* parameters. Systematic absences suggested five possible space groups: C222, Cmm2, Cm2m, C2mm and Cmmm. Profile parameters were derived from the Le Bail fit (FULLPROF.2000) and the structure was solved in space group Cmmm by global optimization in direct space (program FOX [11]). The structure was refined by the Rietveld method. Similar to the Sm<sub>2</sub>Ga<sub>1.8</sub>Ge<sub>5.2</sub> structure, some X positions were identified as split: X1 (2a) site split to 16r), X2 (4g site split to 8q) and X3 (4k site split to 8n), with occupancies 0.125, 0.5 and 0.5, respectively. The split atoms are separated by a distance of 0.588(18), 0.577(7) and 0.630(6) Å for X1, X2 and X3 positions, respectively. In the final refinement cycles an overall isotropic displacement parameter was refined for the three split X positions, while isotropic displacement parameters for the remaining atoms were refined independently. The displacement parameter for the X4 position is larger than those for the other X atoms. The X4 atom is influenced by the disorder of its first neighbour, X1. The pronounced disorder of the X1 site induces a small disorder of the X4 site. However, the latter has been satisfactory modelled by merely a higher displacement parameter. Two known ternary phases [12] have been identified as impurities: SmGa<sub>1.1</sub>Ge<sub>0.9</sub> (1.3(1) wt%, structure type  $\alpha$ -ThSi<sub>2</sub>, space group  $I4_1/amd$ , a = 4.18898(17), c = 14.4687(9)Å) and SmGa<sub>0.8</sub>Ge<sub>2.2</sub> (0.7(1) wt%, structure type AuCu<sub>3</sub>, space group  $Pm\overline{3}m$ , a = 4.33562(11)Å). For these phases only scale factors and cell parameters were included in the refinement, while their profile parameters were refined first and then fixed in the final refinement cycles. The background was defined using a Fourier filtering technique. In the final refinement cycles 31 parameters were allowed to vary: sample shift, three scale factors, six cell parameters, six profile parameters for the main phase (pseudo-Voigt profile), 12 positional parameters, six atomic displacement and one texture parameters.

The diffraction patterns for the  $Sm_{22}Ga_{20}Ge_{58}$  and  $Sm_{28}Ga_{35}Ge_{37}$  samples are presented in Fig. 1. Crystal data and details of data collection and structure refinement for structures 1 and 2 ( $Sm_2Ga_{1.8}Ge_{5.2}$  and  $Sm_4Ga_{5.24}Ge_{5.76}$ ) are given in Table 1. The atomic positions standardized with the STRUCTURE TIDY program [13] and atomic displacement parameters are listed in Table 2. The solid-solution boundaries for these two ternary phases were determined from the variation of their cell parameters in the full Ga/Ge concentration range. The cell para meters for  $Sm_2Ga_{7-x}Ge_x$  and  $Sm_4Ga_{11-x}Ge_x$  phases,



Fig. 1. Observed (circles), calculated (line) and difference (bottom line) X-ray powder diffraction patterns for  $Sm_{22}Ga_{20}Ge_{58}$  (a) and  $Sm_{28}Ga_{35}Ge_{37}$  (b) alloys. Vertical bars indicate the Bragg positions of contributing phases:  $Sm_2Ga_{1.8}Ge_{5.2}$ , 89.2(5) wt% and Ge, 10.83(9) wt% in (a);  $Sm_4Ga_{5.24}Ge_{5.76}$ , 98.0(3) wt%,  $SmGa_{2-x}Ge_x$ , 1.29(2) wt% and  $SmGa_{3-x}Ge_x$ , 0.70(1) wt% in (b).

20 (°)

Table 1

(b)

Crystal	data	and	details	of	data	collection	and	structure	refinement	for
structur	es 1 a	and 2	2							

	$Sm_2Ga_{1.8}Ge_{5.2}$ (1)	Sm <sub>4</sub> Ga <sub>5.24</sub> Ge <sub>5.76</sub> ( <b>2</b> )
Sample composition	$Sm_{22}Ga_{20}Ge_{58}$	$Sm_{28}Ga_{35}Ge_{37}$
$2\theta_{\min-\max}$ (deg.)	15-120.2	14-135.2
Step size, deg.; profile points	0.014432; 7289	0.014432; 8398
Number of "independent" and "effective" reflections	634; 352	500; 270
Number of refined structural	21	20
parameters		
Space group	<i>Cmce</i> (No. 64)	Cmmm (No. 65)
Pearson code, $Z$	oS80-8.00, 8	oS52-22.00, 2
Cell parameters: $a(\hat{A})$	8 46216(12)	4 21028(4)
$u(\mathbf{A})$	8.40210(13)	4.21036(4)
$\mathcal{D}(\mathbf{A})$	8.15343(13)	35.80/5(3)
$c(\mathbf{A})$	21.1243(3)	4.14023(4)
$V(A^3)$	1457.48(4)	624.193(9)
Preferred orientation: direction, value	[001], 0.897(2)	[010], 0.8935(11)
R <sub>B</sub>	7 38	4 55
R <sub>-</sub>	8 76	4 84
$D^{a}$	28 5 2 54	16.0 1.00
$R_{p}$	26.5, 2.54	10.9, 1.00
$\frac{\kappa_{\rm wp}}{2}$	10.5, 5.20	9.89, 1.33
χ <sup>-</sup>	1.46	2.26

<sup>a</sup>Conventional and non-corrected for background.

Table 2

Atomic coordinates and isotropic displacement parameters in the  $Sm_2Ga_{1,8}Ge_{5,2}$  and  $Sm_4Ga_{5,24}Ge_{5,76}$  structures (X – Ga/Ge atoms)

Atom	Site	Occ.	X	у	Ζ	$U_{\rm iso}$ (Å <sup>2</sup> )
Sm <sub>2</sub> Ga <sub>1.8</sub> Ge	5.2					
Sm	16 <i>g</i>	1	0.2509(4)	0.3746(17)	0.08131(6)	0.0067(5)
X1	16 <i>g</i>	1/2	0.0334(12)	0.1168(18)	0.1486(3)	0.0143(6)
X2	16g	1	0.2834(5)	0.1238(17)	0.19356(14)	0.0143(6)
X3	8 <i>f</i>	1	0	0.114(3)	0.4618(3)	0.0143(6)
<i>X</i> 4	8 <i>f</i>	1	0	0.131(3)	0.0341(3)	0.0143(6)
X5	8 <i>f</i>	1	0	0.3525(17)	0.3072(4)	0.0143(6)
<i>X</i> 6	8 <i>f</i>	1	0	0.4068(14)	0.1904(4)	0.0143(6)
Sm4Ga5.24G	e <sub>5.76</sub>					
Sm1	4j	1	0	0.30079(2)	1/2	0.0048(5)
Sm2	4i	1	0	0.40041(2)	0	0.0046(5)
X1	16 <i>r</i>	1/8	0.059(2)	0.06335(14)	0.438(2)	0.0024(9)
X2	8q	1/2	0.4265(10)	0.03363(7)	1/2	0.0024(9)
X3	8 <i>n</i>	1/2	0	0.03308(6)	0.0711(11)	0.0024(9)
<i>X</i> 4	4j	1	0	0.12750(7)	1/2	0.0257(13)
X5	4 <i>i</i>	1	0	0.16660(6)	0	0.0033(9)
<i>X</i> 6	4i	1	0	0.23248(6)	0	0.0015(9)

Table 3	
Cell parameters for $Sm_2Ga_{7-x}Ge_x$ and $Sm_4Ga_{11-x}Ge_x$	$Ge_x$ phases

Ge (at%)	Lattice parameters (Å)				
	a	b	с		
$Sm_2Ga_{7-x}Ge_x (x = 5.2 - 6.1)$					
53 <sup>a</sup>	8.4619(2)	8.15267(19)	21.1242(6)	1457.30(8)	
58	8.46216(13)	8.15343(13)	21.1243(3)	1457.48(4)	
63	8.42729(19)	8.1097(2)	21.0532(5)	1438.83(6)	
68	8.38432(16)	8.05936(16)	20.9809(4)	1417.73(5)	
73 <sup>a</sup>	8.3848(2)	8.05910(2)	20.9795(6)	1417.67(8)	
$Sm_4Ga_{11-x}Ge_x$ (x = 5.76-8.7)	75)				
33 <sup>a</sup>	4.21095(7)	35.8111(5)	4.13955(7)	624.24(6)	
37	4.21038(4)	35.8075(3)	4.14023(4)	624.193(9)	
42	4.20911(5)	35.5544(2)	4.13851(5)	619.34(4)	
47	4.20672(4)	35.2289(2)	4.13529(5)	612.84(4)	
52	4.20476(5)	35.0091(2)	4.12593(5)	607.36(4)	
57	4.20253(5)	34.81517(2)	4.11401(5)	601.93(4)	
62 <sup>a</sup>	4.20182(8)	34.81422(6)	4.11383(8)	601.78(7)	

<sup>a</sup>Composition beyond the solid-solution boundaries.

determined respectively on five and seven alloys, are listed in Table 3.

## 3. Results and discussion

Interatomic distances and coordination numbers of atoms (CN) in their local environment are given in Table 4. The CNs of Sm atoms equal to 18 in 1 and 20 in 2, and the coordination polyhedra made by the X atoms around Sm are very similar. Coordination polyhedra for Sm atoms in 2 are the same as those of the Th atom in the  $\alpha$ -ThSi<sub>2</sub> structure. For both structures coordination polyhedron for the X1 atom is a tetragonal antiprism, with one square face capped by an X atom. The rest of X atoms have a trigonal-prismatic environment made of Sm and X atoms, with 2–3 X atoms capping side faces. The shortest Sm-X distances range 3.026(17)–3.300(3) Å in 1 and

Table 4

Interatomic distances (d) and coordination numbers of atoms (CN) in the  $Sm_2Ga_{1.8}Ge_{5.2}$  and  $Sm_4Ga_{5.24}Ge_{5.76}$  structures (X - Ga/Ge atoms)

$ \begin{array}{c c c c c c c c c c c c c c c c c c c $	$Sm_2Ga_{1.8}Ge_{5.2}$			Sm <sub>4</sub> Ga <sub>5.24</sub> Ge <sub>5.76</sub>			
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	Atoms	<i>d</i> (Å)	CN	Atoms	d (Å)	CN	
Sm-6Sm $3.991(10)-4.246(5)$ Sm1-8Sm $4.12(2)-4.210(2)$ $X1-2X2$ $2.320(11)$ 9Sm2-14X $3.1169(9)-3.248(10)$ 20 $X1-X4$ $2.438(9)$ $X1-2X3$ $2.316(10), 2.384(10)$ 9 $X1-X6$ $2.540(18)$ $X1-2X2$ $2.317(10), 2.429(10)$ 7 $X1-4Sm$ $3.042(15)-3.496(15)$ $X1-1X4$ $2.324(6)$ $X2-X1$ $2.30(1)$ 8 $X1-4Sm2$ $3.242(10)-3.248(10)$ $X2-X1$ $2.30(1)$ 8 $X1-4Sm2$ $3.242(10)-3.248(10)$ $X2-X2$ $2.451(4)$ $X2-2X1$ $2.317(10), 2.429(10)$ 9 $X2-X6$ $2.549(13)$ $X2-1X2$ $2.408(4), 2.487(4)$ 9 $X2-X5$ $2.615(15)$ $X2-4X3$ $2.526(4)$ 7 $X2-X5$ $3.263(14)$ $X3-2X1$ $2.316(10), 2.384(10)$ 9 $X2-2Sm$ $3.136(3)-3.143(13)$ $X3-2X3$ $2.59(4)$ 7 $X3-X4$ $2.575(19)$ $X3-2Sm2$ $3.192(2)$ 7 $X3-X4$ $2.575(19)$ $X4-2X5$ $2.499(2)$ 7 $X-X6$ $3.026(17)-3.300(6)$ $X-1X6$ $2.359(3)$ 9 $X-4-X3$ $2.575(19)$ $X2-2X6$ $3.116(9)-3.321(2)$ 7 $X-4X4$ $2.581(19)$ $X5-1X6$ $2.359(3)$ 9 $X-4-X5$ $2.506(1)$ $X6-1X5$ $2.359(3)$ 9 $X-4-X4$ $2.506(12)$ $X6-1X5$ $2.359(3)$ 9 $X-5-X6$ $2.506(12)$ $X6-1X5$ $2.539(3)$ 9 $X5-2X2$ $2.60(1)$ $8$ $X5-6Sm1$ $3.1837(9)-$	Sm-12X	3.026(17)-3.300(3)	18	Sm1–12X	3.1750(9)-3.321(2)	20	
$\begin{array}{llllllllllllllllllllllllllllllllllll$	Sm-6Sm	3.991(10)-4.246(5)		Sm1-8Sm	4.124(2)-4.210(2)		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	X1-2X2	2.320(11)	9	Sm2-14X	3.1169(9)-3.248(10)	20	
X1-X42.438(9)X1-2X32.316(10), 2.384(10)9X1-X62.540(18)X1-2X22.317(10), 2.429(10)7X1-4Sm3.042(15)-3.496(15)X1-1X42.324(6)7X2-X12.30(11)8X1-4Sm23.242(10)-3.248(10)9X2-X22.451(4)X2-2X12.317(10), 2.429(10)9X2-X62.549(13)X2-1X22.408(4), 2.487(4)7X2-X52.615(15)X2-4X32.556(4)X2-X53.263(14)X2-2Sm23.156(2)X2-X63.329(13)X3-2X12.36(0), 2.384(10)9X2-2Sm3.136(13)-3.143(13)X3-2X32.369(3), 2.441(4)X3-X32.466(19)8X3-4X22.526(4)X3-X42.575(19)X3-2Sm23.192(2)X3-K42.575(19)X3-2Sm23.192(2)X3-K42.575(19)X4-4Sm3.1169(9)-3.321(2)X4-X12.438(9)9X4-2X52.499(2)X4-X32.575(19)X5-1X62.359(3)9X4-X42.581(19)X5-1X62.359(3)9X4-5K12.366(19)8X5-6Sm3.1750(9)-3.1919(19)X5-X62.506(12)K5-1X52.359(3)9X5-2K22.60(12)8X5-6Sm13.1837(9)-3.2045(19)X5-2X22.549(13)1X6-1X52.359(3)9X5-2X22.549(13)X6-1X52.4508(17)X6-2X6X5-2X22.549(13)X6-2X62.4508(17)X6-2X6X6-X5 <td>X1-X5</td> <td>2.366(19)</td> <td></td> <td>Sm2–6Sm</td> <td>4.140(2)-4.210(2)</td> <td></td>	X1-X5	2.366(19)		Sm2–6Sm	4.140(2)-4.210(2)		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	X1-X4	2.438(9)		X1–2X3	2.316(10), 2.384(10)	9	
$\begin{array}{llllllllllllllllllllllllllllllllllll$	X1-X6	2.540(18)		X1-2X2	2.317(10), 2.429(10)		
$X2-X1$ 2.320(1)8 $X1-4Sm2$ 3.242(10)-3.248(10) $X2-X2$ 2.451(4) $X2-2X1$ 2.317(10), 2.429(10)9 $X2-X6$ 2.549(13) $X2-1X2$ 2.408(4), 2.487(4)2 $X2-X5$ 2.615(15) $X2-4X3$ 2.526(4)2 $X2-X6$ 3.292(13) $X^3-2X1$ 2.316(10), 2.384(10)9 $X2-2Sm2$ 3.136(13)-3.143(13) $X^3-2X3$ 2.369(3), 2.441(4)2 $X3-X3$ 2.466(19)8 $X^3-4X2$ 2.526(4)4 $X3-X4$ 2.575(19) $X^3-2Sm2$ 3.192(2)4 $X3-X4$ 2.575(19) $X4-1X1$ 2.324(6)9 $X4-X1$ 2.326(3)9 $X4-2X5$ 2.499(2)4 $X4-X1$ 2.575(19) $X4-6Sm$ 3.116(9)-3.321(2)4 $X4-X4$ 2.575(19) $X4-6Sm$ 3.116(9)-3.321(2)4 $X4-X4$ 2.581(19) $X5-1X6$ 2.359(3)9 $X4-5C$ 2.506(12) $X6-1X5$ 2.359(3)9 $X5-X1$ 2.366(12) $X6-1X5$ 2.359(3)9 $X5-2X2$ 2.615(15) $X6-2X6$ 2.4508(17)5 $X5-2X2$ 2.615(15) $X6-2X6$ 2.4508(17)4 $X5-2X2$ 2.506(12)8 $X6-2X6$ 2.4508(17) $X6-2X6$ $X6-X1$ 2.500(12)8 $X6-2X6$ 2.4508(17) $X6-2X6$ 2.4508(17) $X5-2X2$ 2.500(12)8 $X6-2X6$ 2.4508(17) $X6-2X6$ 2.4508(17) $X6-X1$ 2.5400(18) $X6-2X6$ 2.4508(17) $X6-2X6$	X1-4Sm	3.042(15)-3.496(15)		X1-1X4	2.324(6)		
X2-X2 $2.451(4)$ $X2-2X1$ $2.317(10), 2.429(10)$ 9 $X2-X6$ $2.549(13)$ $X2-1X2$ $2.408(4), 2.487(4)$ $X2-X6$ $X2-X5$ $2.615(15)$ $X2-4X3$ $2.526(4)$ $X2-X5$ $X2-X5$ $3.263(14)$ $X2-2Sm2$ $3.156(2)$ $X2-2Sm$ $X2-X6$ $3.329(13)$ $X3-2X1$ $2.316(10), 2.384(10)$ 9 $X2-2Sm$ $3.136(13)-3.143(13)$ $X3-2X3$ $2.369(3), 2.441(4)$ $X3-X3$ $X3-X3$ $2.466(19)$ $8$ $X3-4X2$ $2.526(4)$ $X3-X4$ $2.575(19)$ $X3-2X3$ $2.369(3), 2.441(4)$ $X3-X3$ $X3-5X6$ $3.026(17)-3.300(6)$ $X4-1X1$ $2.324(6)$ $9$ $X4-X1$ $2.438(9)$ $9$ $X4-2X5$ $2.499(2)$ $X4-X3$ $2.575(19)$ $X4-6Sm$ $3.1169(9)-3.321(2)$ $X4-6Sm$ $X4-X4$ $2.581(19)$ $X5-1X6$ $2.359(3)$ $9$ $X4-6Sm$ $3.07(17)-3.223(6)$ $X5-2X4$ $2.499(2)$ $X4-6Sm$ $X5-X1$ $2.366(19)$ $8$ $X5-6Sm$ $3.1750(9)-3.1919(19)$ $X5-X6$ $2.506(12)$ $X6-1X5$ $2.359(3)$ $9$ $X5-2X2$ $2.615(15)$ $X6-2X6$ $2.4508(17)$ $X5-2X2$ $3.262(14)$ $X6-6Sm1$ $3.1837(9)-3.2045(19)$ $X5-2X2$ $3.260(12)$ $8$ $X6-6Sm1$ $3.1837(9)-3.2045(19)$ $X5-2X2$ $2.506(12)$ $8$ $X6-2X6$ $2.4508(17)$ $X5-2X2$ $3.262(14)$ $X6-2X6$ $X6-2X6$ $X6-2X6(16)$ $X6-X5$ $2.$	X2-X1	2.320(11)	8	X1-4Sm2	3.242(10)-3.248(10)		
X2-X6 $2.549(13)$ $X2-1X2$ $2.408(4), 2.487(4)$ $X2-X5$ $2.615(15)$ $X2-4X3$ $2.526(4)$ $X2-X5$ $3.263(14)$ $X2-2Sm2$ $3.156(2)$ $X2-X6$ $3.329(13)$ $X3-2X1$ $2.316(10), 2.384(10)$ $9$ $X2-2Sm$ $3.136(13)-3.143(13)$ $X3-2X1$ $2.369(3), 2.441(4)$ $X3-X3$ $2.466(19)$ $8$ $X3-2X3$ $2.369(3), 2.441(4)$ $X3-X3$ $2.466(19)$ $8$ $X3-2Sm2$ $3.192(2)$ $X3-K4$ $2.575(19)$ $X-2Sm2$ $3.192(2)$ $X3-6Sm$ $3.026(17)-3.300(6)$ $X4-1X1$ $2.324(6)$ $9$ $X4-X1$ $2.438(9)$ $9$ $X4-2X5$ $2.499(2)$ $X4-X4$ $2.575(19)$ $X4-6Sm$ $3.1169(9)-3.321(2)$ $7$ $X4-X4$ $2.581(19)$ $X5-1X6$ $2.359(3)$ $9$ $X5-X6$ $2.506(12)$ $X6-1X5$ $2.359(3)$ $9$ $X5-X6$ $2.506(12)$ $X6-1X5$ $2.359(3)$ $9$ $X5-2X2$ $2.615(15)$ $X6-2X6$ $2.4508(17)$ $7$ $X5-2X2$ $2.606(12)$ $8$ $X6-X1$ $3.1837(9)-3.2045(19)$ $7$ $X5-2X2$ $2.506(12)$ $8$ $X6-X1$ $2.506(12)$ $8$ $X6-X1$ $2.506(12)$ $8$ $X6-X1$ $2.509(13)$ $X6-2X2$ $X6+X1$ $X5-204(1)$ $X6-2X2$ $2.59(13)$ $X6-2X2$ $X59(13)$ $X6-2X2$ $X6-2X2$ $X6-2X2$ $X6-2X2$ $X6-2X2$ $X6-2X2$ $X6-2X2$ $X6-2X2$ $X6-X1$ $X6-2X2$ $X6-X1$ <	X2-X2	2.451(4)		X2–2X1	2.317(10), 2.429(10)	9	
$\begin{array}{llllllllllllllllllllllllllllllllllll$	X2-X6	2.549(13)		X2-1X2	2.408(4), 2.487(4)		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	X2-X5	2.615(15)		X2–4X3	2.526(4)		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	X2-X5	3.263(14)		X2–2Sm2	3.156(2)		
X2-2Sm $3.136(13)-3.143(13)$ $X3-2X3$ $2.369(3), 2.441(4)$ $X3-X3$ $2.466(19)$ $8$ $X3-4X2$ $2.526(4)$ $X3-X4$ $2.575(19)$ $X3-2Sm2$ $3.192(2)$ $X3-6Sm$ $3.026(17)-3.300(6)$ $X4-1X1$ $2.324(6)$ $9$ $X4-X1$ $2.438(9)$ $9$ $X4-2X5$ $2.499(2)$ $X4-X3$ $2.575(19)$ $X-2Sm2$ $3.1169(9)-3.321(2)$ $X4-X4$ $2.581(19)$ $X-1X6$ $2.359(3)$ $9$ $X4-6Sm$ $3.071(17)-3.223(6)$ $X5-1X6$ $2.359(3)$ $9$ $X5-X1$ $2.366(19)$ $8$ $X5-6Sm$ $3.1750(9)-3.1919(19)$ $X5-X6$ $2.506(12)$ $X6-1X5$ $2.359(3)$ $9$ $X5-2X2$ $2.615(15)$ $X6-2X6$ $2.4508(17)$ $75-2X2$ $X5-2X2$ $3.262(14)$ $X6-6Sm1$ $3.1837(9)-3.2045(19)$ $X5-2X2$ $2.506(12)$ $8$ $X-6-Sm1$ $3.1837(9)-3.2045(19)$ $X6-X1$ $2.590(13)$ $8$ $X-6-Sm1$ $3.1837(9)-3.2045(19)$ $X6-2X2$ $2.549(13)$ $X6-2X2$ $X549(13)$ $X6-2X2$ $X6-2X2$ $3.329(13)$ $X7-2X3$ $X7-2X3$ $X7-2X2$	X2-X6	3.329(13)		X3–2X1	2.316(10), 2.384(10)	9	
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	X2–2Sm	3.136(13)-3.143(13)		X3–2X3	2.369(3), 2.441(4)		
$\begin{array}{llllllllllllllllllllllllllllllllllll$	X3–X3	2.466(19)	8	X3–4X2	2.526(4)		
X3-6Sm $3.026(17)-3.300(6)$ $X4-1X1$ $2.324(6)$ 9X4-X1 $2.438(9)$ 9 $X4-2X5$ $2.499(2)$ X4-X3 $2.575(19)$ $X4-6Sm$ $3.1169(9)-3.321(2)$ X4-X4 $2.581(19)$ $X5-1X6$ $2.359(3)$ 9X4-6Sm $3.071(17)-3.223(6)$ $X5-2X4$ $2.499(2)$ X5-X1 $2.366(19)$ 8 $X5-6Sm$ $3.1750(9)-3.1919(19)$ X5-X6 $2.506(12)$ $X6-1X5$ $2.359(3)$ 9X5-2X2 $2.615(15)$ $X6-2X6$ $2.4508(17)$ X5-2X2 $3.166(7)$ $X6-6Sm1$ $3.1837(9)-3.2045(19)$ X5-2X2 $3.262(14)$ $X6-X5$ $2.506(12)$ X6-2X5 $2.506(12)$ 8 $X6-X1$ X6-2X2 $2.549(13)$ $8$ X6-2X2 $3.329(13)$ $5000000000000000000000000000000000000$	X3–X4	2.575(19)		X3–2Sm2	3.192(2)		
X4-X12.438(9)9 $X4-2X5$ 2.499(2) $X4-X3$ 2.575(19) $X4-6Sm$ 3.1169(9)-3.321(2) $X4-X4$ 2.581(19) $X5-1X6$ 2.359(3)9 $X4-6Sm$ 3.071(17)-3.223(6) $X5-2X4$ 2.499(2) $X5-X1$ 2.366(19)8 $X5-6Sm$ 3.1750(9)-3.1919(19) $X5-X6$ 2.506(12) $X6-1X5$ 2.359(3)9 $X5-2X2$ 2.615(15) $X6-2X6$ 2.4508(17) $X5-2X2$ 3.166(7) $X6-6Sm1$ 3.1837(9)-3.2045(19) $X5-2X2$ 3.262(14) $X6-2X6$ 3.1837(9)-3.2045(19) $X6-2X1$ 2.540(18) $X6-2X2$ $X540(18)$ $X6-2X2$ 3.145(6) $X6-2X2$ $X329(13)$	X3–6Sm	3.026(17)-3.300(6)		X4–1X1	2.324(6)	9	
X4-X3 $2.575(19)$ $X4-6Sm$ $3.1169(9)-3.321(2)$ $X4-X4$ $2.581(19)$ $X5-1X6$ $2.359(3)$ $9$ $X4-6Sm$ $3.071(17)-3.223(6)$ $X5-2X4$ $2.499(2)$ $X5-X1$ $2.366(19)$ $8$ $X5-6Sm$ $3.1750(9)-3.1919(19)$ $X5-X6$ $2.506(12)$ $X6-1X5$ $2.359(3)$ $9$ $X5-2X2$ $2.615(15)$ $X6-2X6$ $2.4508(17)$ $X5-2X2$ $3.166(7)$ $X6-6Sm1$ $3.1837(9)-3.2045(19)$ $X5-2X2$ $3.262(14)$ $X6-45Sm1$ $3.1837(9)-3.2045(19)$ $X6-X5$ $2.506(12)$ $8$ $X6-X1$ $2.540(18)$ $X6-2X2$ $X549(13)$ $X6-2Sm$ $3.145(6)$ $X6-2X2$ $X329(13)$	X4–X1	2.438(9)	9	X4–2X5	2.499(2)		
X4-X4   2.581(19)   X5-1X6   2.359(3)   9     X4-6Sm   3.071(17)-3.223(6)   X5-2X4   2.499(2)     X5-X1   2.366(19)   8   X5-6Sm   3.1750(9)-3.1919(19)     X5-X6   2.506(12)   X6-1X5   2.359(3)   9     X5-2X2   2.615(15)   X6-2X6   2.4508(17)   9     X5-2X2   3.166(7)   X6-6Sm1   3.1837(9)-3.2045(19)   9     X5-2X2   3.262(14)   X6-6Sm1   3.1837(9)-3.2045(19)   9     X5-2X2   3.260(12)   8   X6-6Sm1   3.1837(9)-3.2045(19)     X5-2X2   3.260(12)   8   X6-6Sm1   3.1837(9)-3.2045(19)     X6-X5   2.506(12)   8   X6-2X0   X60(18)     X6-2X2   2.549(13)   X6-2Sm   3.145(6)   X6-2Sm     X6-2X2   3.329(13)   X6-2X2   X6-2X2   X60(13)	X4–X3	2.575(19)		X4–6Sm	3.1169(9)-3.321(2)		
X4-6Sm   3.071(17)-3.223(6)   X5-2X4   2.499(2)     X5-X1   2.366(19)   8   X5-6Sm   3.1750(9)-3.1919(19)     X5-X6   2.506(12)   X6-1X5   2.359(3)   9     X5-2X2   2.615(15)   X6-2X6   2.4508(17)     X5-2X2   3.166(7)   X6-6Sm1   3.1837(9)-3.2045(19)     X5-2X2   3.262(14)   X6-7X5   2.506(12)   8     X6-X1   2.540(18)   8   X6-2X2   X69(13)     X6-2Sm   3.145(6)   X6-2X2   X329(13)   X6-2X2	X4–X4	2.581(19)		X5–1X6	2.359(3)	9	
X5-X1   2.366(19)   8   X5-6Sm   3.1750(9)-3.1919(19)     X5-X6   2.506(12)   X6-1X5   2.359(3)   9     X5-2X2   2.615(15)   X6-2X6   2.4508(17)     X5-2X2   3.166(7)   X6-6Sm1   3.1837(9)-3.2045(19)     X5-2X2   3.262(14)   X6-6Sm1   3.1837(9)-3.2045(19)     X6-X5   2.506(12)   8   X6-X1   2.540(18)     X6-2X2   2.549(13)   X6-2Sm   3.145(6)   X6-2X2     X6-2X2   3.329(13)   X6-2X2   X6-2X2   X6	X4–6Sm	3.071(17)-3.223(6)		X5–2X4	2.499(2)		
X5-X6   2.506(12)   X6-1X5   2.359(3)   9     X5-2X2   2.615(15)   X6-2X6   2.4508(17)   1     X5-2Sm   3.166(7)   X6-6Sm1   3.1837(9)-3.2045(19)   1     X5-2X2   3.262(14)   X6-6Sm1   3.1837(9)-3.2045(19)   1     X6-X5   2.506(12)   8   1   1   1     X6-X1   2.540(18)   1   1   1   1   1     X6-2Sm   3.145(6)   1 <td>X5-X1</td> <td>2.366(19)</td> <td>8</td> <td><i>X</i>5–6Sm</td> <td>3.1750(9)-3.1919(19)</td> <td></td>	X5-X1	2.366(19)	8	<i>X</i> 5–6Sm	3.1750(9)-3.1919(19)		
X5-2X22.615(15) $X6-2X6$ 2.4508(17) $X5-2Sm$ 3.166(7) $X6-6Sm1$ 3.1837(9)-3.2045(19) $X5-2X2$ 3.262(14) $X6-X5$ 2.506(12)8 $X6-X1$ 2.540(18) $X6-2X2$ 2.549(13) $X6-2Sm$ 3.145(6) $X6-2X2$ 3.329(13)	X5-X6	2.506(12)		X6-1X5	2.359(3)	9	
X5-2Sm   3.166(7)   X6-6Sm1   3.1837(9)-3.2045(19)     X5-2X2   3.262(14)   3.1837(9)-3.2045(19)     X6-X5   2.506(12)   8     X6-X1   2.540(18)   4     X6-2X2   2.549(13)   4     X6-2Sm   3.145(6)   4     X6-2X2   3.329(13)   4	X5-2X2	2.615(15)		X6–2X6	2.4508(17)		
X5-2X2   3.262(14)     X6-X5   2.506(12)   8     X6-X1   2.540(18)     X6-2X2   2.549(13)     X6-2Sm   3.145(6)     X6-2X2   3.329(13)	X5–2Sm	3.166(7)		X6-6Sm1	3.1837(9)-3.2045(19)		
X6-X5   2.506(12)   8     X6-X1   2.540(18)     X6-2X2   2.549(13)     X6-2Sm   3.145(6)     X6-2X2   3.329(13)	X5-2X2	3.262(14)					
X6-X1   2.540(18)     X6-2X2   2.549(13)     X6-2Sm   3.145(6)     X6-2X2   3.329(13)	X6–X5	2.506(12)	8				
X6-2X2 2.549(13)   X6-2Sm 3.145(6)   X6-2X2 3.329(13)	X6-X1	2.540(18)					
X6-2Sm     3.145(6)       X6-2X2     3.329(13)	X6-2X2	2.549(13)					
<i>X</i> 6–2 <i>X</i> 2 3.329(13)	X6–2Sm	3.145(6)					
	X6-2X2	3.329(13)					

3.1170(9)–3.471(12) Å in **2**, slightly exceeding a sum of atomic radii ( $r_{\rm Sm} = 1.802$  Å,  $r_{\rm Ga} = 1.221$  Å and  $r_{\rm Ge} = 1.225$  Å [14]).

Pseudo-tetragonal structures 1 and 2 are shown in Fig. 2, with highlighted three-dimensional X-atom frameworks. The most striking feature in these structures is the  $X_8$ empty cubes capped by X1 atoms. In 1 the cubes are ordered, with one face enlarged due to the bridging function of the X1 atom. This face is not perfectly square but rather rhomb-like, the lengths of the two diagonals differing by  $\sim 0.3$  Å. The X1 atom is disordered along the longer diagonal of this face, tending to achieve a fourbonded state instead of a five-bonded one in an idealized ordered structure. Disorder is more pronounced in 2, where the whole fragment, consisting of the distorted  $X_8$  cube capped by the X1 atom, is disordered. This results in the apparent splitting of the additional X positions (X2 and X3), however, the average structure of 2 can be interpreted by the same local atomic arrangement as in 1 (see Fig. 2). Similar fragments have been found in other Ga- and Gerich intermetallic compounds. For example,  $RE_2Zn_3Ge_6$ (RE = La, Ce, Pr, Nd) structures [15] contain the same distorted cubes of Ge atoms, each capped on one face by Zn atom (Fig. 3c). As compared to structure 1 (Fig. 3a), the

cube in RE<sub>2</sub>Zn<sub>3</sub>Ge<sub>6</sub> differs only by its Zn-capped face, which appears to be practically an ideal square. Consequently, the Zn atom was found to be ordered. Ga-based cubes discovered in the structure of YbGa<sub>5</sub> [4] differ more distinctly. Not one, but two opposite faces of the Ga<sub>8</sub> cube are capped by additional Ga atoms. The main difference, however, concerns the direction of the disorder in the Ga<sub>8</sub> cube (compare Figs. 3b and d). It was suggested [4] that the disorder in the  $Ga_{8+2}$  cage is induced by a tendency of three-bonded Ga atoms, located in the corners of the Ga<sub>8</sub> cubes, to achieve the "optimum" distances and a fourbonded state. These Ga atoms are split in the direction perpendicular to the direction of the atomic disorder in 2 (Fig. 3b). Gallium atoms in a five-bonded state (those that cap two opposite faces) tend to compensate the distortion of the cube, resulting in a peculiar disorder pattern for the whole fragment (Fig. 3d). A fully ordered undistorted  $Ga_8$ cube was found in the closely related structures of YCoGa<sub>3</sub>Ge and YNiGa<sub>3</sub>Ge [16] (similar to YbGa<sub>5</sub>, they are defect variants of Ce<sub>2</sub>Ga<sub>10</sub>Ni [17]). These isostructural quaternary compounds, studied both by X-ray and neutron single-crystal diffraction, reveal an ordered arrangement of Ga and Ge atoms. Two opposite faces of the Ga<sub>8</sub> cubes are capped by Ge atoms, which, unlike all other examples, are



Fig. 2.  $Sm_2Ga_{1.8}Ge_{5.2}$  (1) and  $Sm_4Ga_{5.24}Ge_{5.76}$  (2) structures containing three-dimentional frameworks of X atoms. Atoms in split positions are shown by black spheres. In 1 distorted  $X_8$  cubes are capped on one side by an atom in the split X1 position. An apparent disorder in 2 can be interpreted by the same local atomic arrangement.



Fig. 3. Empty Ga/Ge cubes capped by additional atoms in the structures of  $Sm_2Ga_{1.8}Ge_{5.2}$  (a),  $Sm_4Ga_{5.24}Ge_{5.76}$  (b),  $La_2Zn_3Ge_6$  (c) and  $YbGa_5$  (d). Atoms in split positions are shown by black spheres.

disordered in the direction perpendicular to the capped face (not shown in Fig. 3). The above structure comparisons and a relatively low Ga content in 1 and 2 suggest that the  $X_8$  cubes in the title structures are predominantly formed by Ge atoms, while the X1 positions are presumably rich in Ga. The Ga-poor structure **1** is very similar to the Gebased  $RE_2Zn_3Ge_6$  (compare Figs. 3a and c), while the relatively Ga-rich structure **2** contains very disordered structural units, which are comparable to, though notably different from, those in YbGa<sub>5</sub>.

The structures 1 and 2 are closely related not only with respect to the geometry of the  $X_8$  cubes. The structures can be described in terms of linear intergrowth of segments of the BaAl<sub>4</sub>, AlB<sub>2</sub> and  $\alpha$ -Po structure types [18,19]. The BaAl<sub>4</sub> segment is built up by an empty and X1-centred tetragonal antiprisms, alternating along ab (1) and ac (2). The AlB<sub>2</sub> layer consists of trigonal prisms of Sm atoms centred by X atoms. The structure 1 contains only one AlB<sub>2</sub> layer, while the structure 2 contains three AlB<sub>2</sub> layers, mutually rotated by  $90^{\circ}$  (such an arrangement can be described alternatively as the  $\alpha$ -ThSi<sub>2</sub> structure blocks). The  $\alpha$ -Po segment consists of empty  $X_8$  cubes, each of which is composed from two Ga4 square faces of the neighbouring BaAl<sub>4</sub> blocks. The intergrowth of the three types of segments in the structures 1 and 2 is shown in Fig. 4. An intergrowth of the BaAl<sub>4</sub>, AlB<sub>2</sub> and  $\alpha$ -Po fragments has also been established [19] in SmNiGe<sub>3</sub> [9] and La2AlGe6 [20] structure types. The orthorhombic structure 1 ( $Ce_2(Ga_{0,1}Ge_{0,9})_7$  structure type) and the monoclinic La<sub>2</sub>AlGe<sub>6</sub> are vacancy-ordering variants of the SmNiGe<sub>3</sub> structure type. For both structures the vacancy ordering in the BaAl<sub>4</sub>-type segments results in doubling of the two shortest translation periods, as compared to SmNiGe<sub>3</sub> (see Fig. 4). It is worth to note, that in the Y-Ga-Ge system all three types of structure, namely Ce<sub>2</sub>(Ga<sub>0.1</sub>Ge<sub>0.9</sub>)<sub>7</sub>, SmNiGe<sub>3</sub> and La<sub>2</sub>AlGe<sub>6</sub>, exist at the same temperature (600 °C) [21]. The closely related YbGa<sub>5</sub> and Ce<sub>3</sub>Ni<sub>2</sub>Si<sub>8</sub> [22] structures contain only two types of segments (Fig. 4). The latter is built up from segments of BaAl<sub>4</sub> and AlB<sub>2</sub>, but not of BaAl<sub>4</sub> and  $\alpha$ -ThSi<sub>2</sub> as reported earlier [22]. The structures 1 and 2 are very similar so far as they belong to the same structure series and are built up from the same structural blocks. Both structures contain  $X_8$  cubes caped on one side by an X atom. In contrast to the disordered structure 2, an ordered arrangement of the  $X_{8+1}$  assemblies in 1 results in doubling of the two shortest translation periods.

Ternary compounds of general formula  $RE_2Ga_{7-x}Ge_x$ and  $RE_4Ga_{11-x}Ge_x$  (RE = rare earth atom) were found in other RE-Ga-Ge systems [5,23,24]. The Ce<sub>2</sub>(Ga<sub>0.1</sub>Ge<sub>0.9</sub>)<sub>7</sub> structure type has been assigned to all  $RE_2Ga_{7-x}Ge_x$ phases, but the structure was determined only for R = Ce



Fig. 4. SmNiGe<sub>3</sub>, Ce<sub>2</sub>(Ga<sub>0.1</sub>Ge<sub>0.9</sub>)<sub>7</sub>, La<sub>2</sub>AlGe<sub>6</sub> and Sm<sub>4</sub>Ga<sub>5.24</sub>Ge<sub>5.76</sub> structure types presented as a linear structure series, composed of BaAl<sub>4</sub>, AlB<sub>2</sub> and  $\alpha$ -Po structure segments. YbGa<sub>5</sub> and Ce<sub>3</sub>Ni<sub>2</sub>Si<sub>8</sub> structures contain only two types of segments.

and Tb [8,24]. However, disorder of the X1 position in this type of structure was identified in the present article for the very first time. The crystal structures of the  $R_4Ga_{11-x}Ge_x$ compounds were not determined before, but an orthorhombic La<sub>4</sub>Ga<sub>4</sub>Ge<sub>7</sub> structure type was mentioned [5] without any reference. For that reason we have measured X-ray diffraction patterns for three  $RE_4Ga_{11-x}Ge_x$  compounds (RE = La, Pr and Nd) and compared them with the data on **2**. Their similarity suggests that the  $RE_4Ga_{11-x}Ge_x$ structures belong to the Sm<sub>4</sub>Ga<sub>5 24</sub>Ge<sub>5 76</sub> structure type.

Finally, we want to draw attention to the variation of the unit cell volume as a function of Ga/Ge ratio. The scan over the range of solid solutions for  $Sm_2Ga_{7-x}Ge_x$  and  $Sm_4Ga_{11-x}Ge_x$  shows (see Table 3), that the cells are noticeably contracted when Ga atoms are replaced by Ge. These changes cannot be explained by size factors because of the very similar radii of Ga and Ge atoms ( $r_{Ga} = 1.221$  A and  $r_{\text{Ge}} = 1.225 \text{ Å}$  [14]). The contraction is practically isotropic for  $Sm_2Ga_{7-x}Ge_x$ : in the whole concentration range the pseudo-tetragonal cell is contracted by  $\sim 1.0\%$  in the basal plane and by  $\sim 0.7\%$  along the c axis. However, contraction is highly anisotropic for  $Sm_4Ga_{11-x}Ge_x$ : by only  $\sim 0.4\%$  in the basal plane and by over 2.8% perpendicular to it (along the b axis). Considering the strong similarity of the structures 1 and 2, this difference can only be attributed to a threefold increase in the amount of AlB<sub>2</sub> segments in the structure **2**. Such an explanation is coherent with the behaviour of the  $\alpha$ -ThSi<sub>2</sub>-type ternary in the Sm-Ga-Ge system. The unit cell of the SmGe<sub>1.4-1.1</sub>Ga<sub>0.6-0.9</sub> solid solution contracts anisotropically when Ga atoms are replaced by Ge: the cell shrinks by 0.14% in the basal plane and by 0.48% along the *c* axis [12], very much as in 2. This observation was explained by stronger covalent interactions X-X at compositions rich in Ge [12]. The assumption that Ga substitutes Ge primarily in the  $\alpha$ -ThSi<sub>2</sub> (or AlB<sub>2</sub>) blocks is highly consistent with lower Ga content in 1 ( $\text{Sm}_2\text{Ga}_{7-x}\text{Ge}_x$ ) than in 2 ( $\text{Sm}_4\text{Ga}_{11-x}\text{Ge}_x$ ): 10-20% in the former versus 15-35% in the latter.

In view of the above considerations we suggest the following model of the Ga/Ge localization in  $Sm_2Ga_{7-x}Ge_x$  and  $Sm_4Ga_{11-x}Ge_x$ . The  $X_8$  cubes are formed by Ge atoms, while the Ga-rich X1 positions stabilize the  $X_{8+1}$  fragment, providing formation of the ternary compounds very much in the same way as Zn, Ni and A1 atoms do in  $RE_2Zn_3Ge_6$ , SmNiGe<sub>3</sub> and La<sub>2</sub>AlGe<sub>6</sub>. The partial replacement of Ge atoms by Ga within the solid solutions takes place primarily in the AlB<sub>2</sub> and  $\alpha$ -ThSi<sub>2</sub> structure blocks.

#### 4. Conclusions

New ternary compounds  $\text{Sm}_2\text{Ga}_{7-x}\text{Ge}_x$  (x = 5.2-6.1) and  $\text{Sm}_4\text{Ga}_{11-x}\text{Ge}_x$  (x = 5.76-8.75) were synthesized and their crystal structures were determined by X-ray powder diffraction at compositions  $\text{Sm}_2\text{Ga}_{1.8}\text{Ge}_{5.2}$ and  $\text{Sm}_4\text{Ga}_{5.24}\text{Ge}_{5.76}$ . The former crystallizes with the  $\text{Ce}_2(\text{Ga}_{0.1}\text{Ge}_{0.9})_7$  structure, the latter with its own type of structure. Both structures are members of the linear intergrowth structure series built up from segments of BaAl<sub>4</sub>, AlB<sub>2</sub> (or  $\alpha$ -ThSi<sub>2</sub>) and  $\alpha$ -Po structure types. Their Ga/Ge networks contain characteristic empty cubes with one side capped by an X atom subjected to an intrinsic displacive disorder. An ordered arrangement of the  $X_{8+1}$ assemblies in  $Sm_2Ga_{7-x}Ge_x$  results in doubling of the two shortest cell translation periods, as compared to the structure  $Sm_4Ga_{11-x}Ge_x$ . Although Ga and Ge atoms were not distinguished by X-ray diffraction, the following model of Ga/Ge localization was suggested on the basis of crystal-chemical analysis. The  $X_8$  cubes are formed by Ge atoms, while the Ga-rich positions capping the cubes stabilize the  $X_{8+1}$  fragment. A partial replacement of Ge atoms by Ga within the solid solutions takes place in the AlB<sub>2</sub> and  $\alpha$ -ThSi<sub>2</sub> structure blocks.

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